Performance analysis and performance modeling of web-applications

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Agenda

Motivation for modeling

Performance measurement

Performance modeling

Summary

Motivation for modeling

Highly integrated systems, many customers Enhancing customer satisfaction (by)

Improving response time

Analysis needs rebuilding infrastructure You won't want to analyze in productive environment

Very expensive

Decision making is often estimated gut feeling plus a buffer

Matches reality?

Analyzing a realistic scenario:

After "Freshman student" event

1.600 Students planned their study plan

concurrent and on a 1:1:1-infrastructure (1 Web-, 1 App-, 1 DB-Server)

Problems arised:

Slower response times

Even timeouts

No login possible

Not all customers were satisfied!

Solution: More hardware

Three Questions:

What is the applicable amount?

Where is the bottleneck?

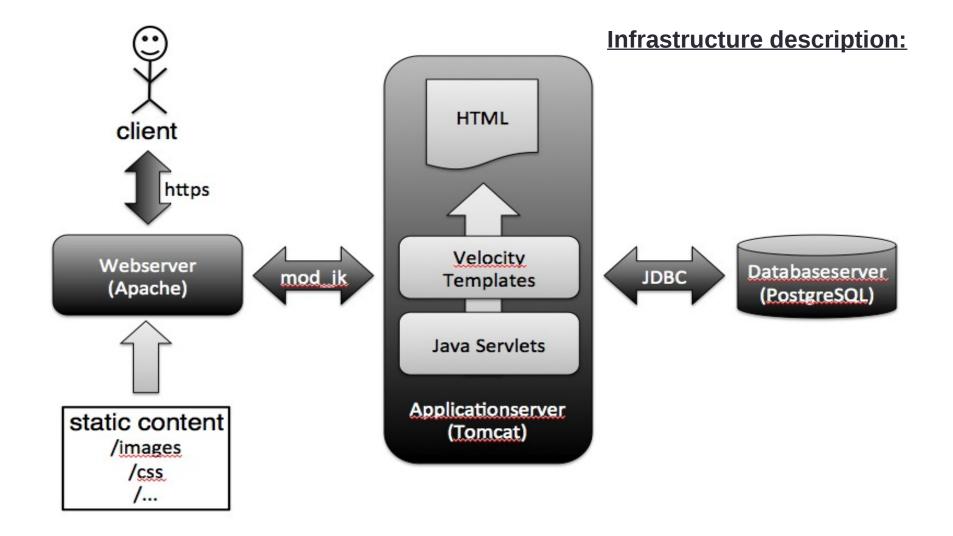
What can be done in realistic time?

What we have done:

Rebuilding Infrastructure

Simulation of a specific scenario with funkload

Evaluating results



Simulation scenario:

Call the start page

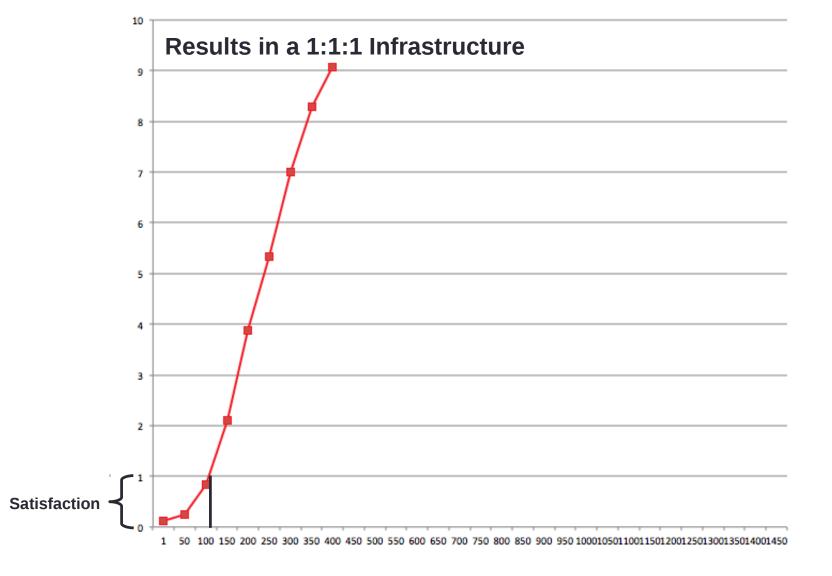
Login with a random user

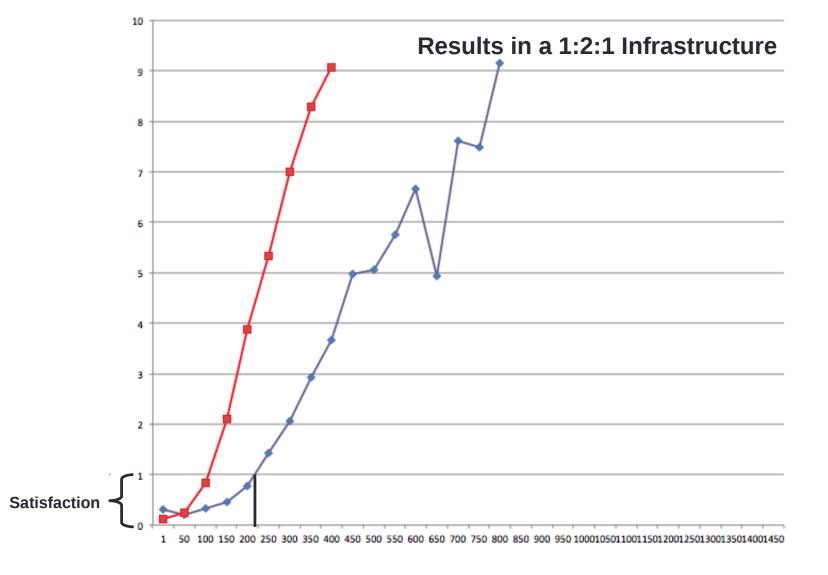
Navigate through the lecture index

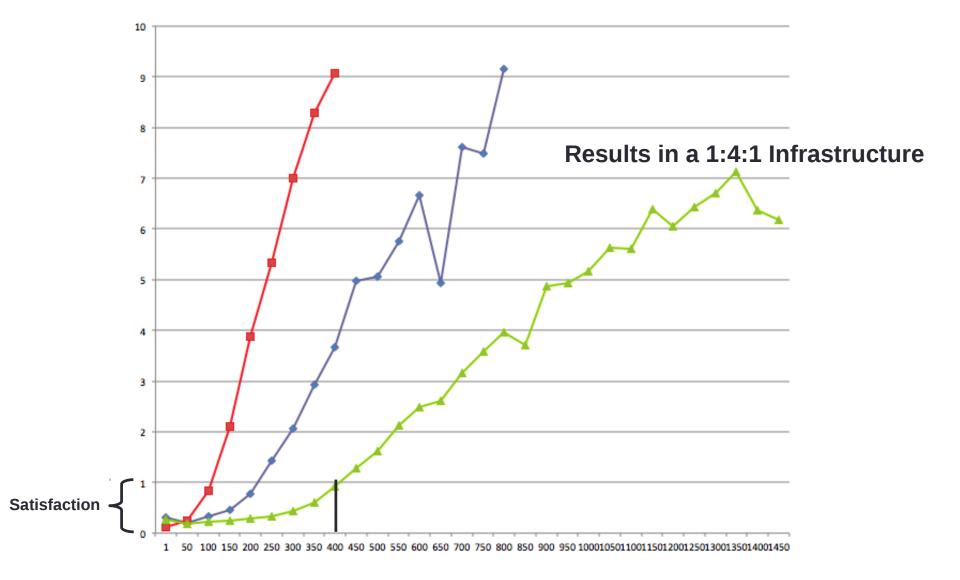
Load a defined webpage of a lecture

Logoff

Calculate the base load Increase app-server until "system fits"







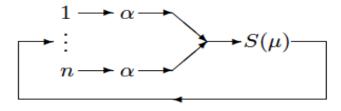
Simulation-Result:

Duplication of app-server leads to duplication of maximum number of concurrent users

Average response time is cut in half and increases more slowly by duplication

Based on results and current infrastructure

Modeled system:



n: # clients

α: client request rate

μ: service rate of server S

Constraints:

service and interarrival times exponentially distributed

Our modeling process is based on classical file-server-model

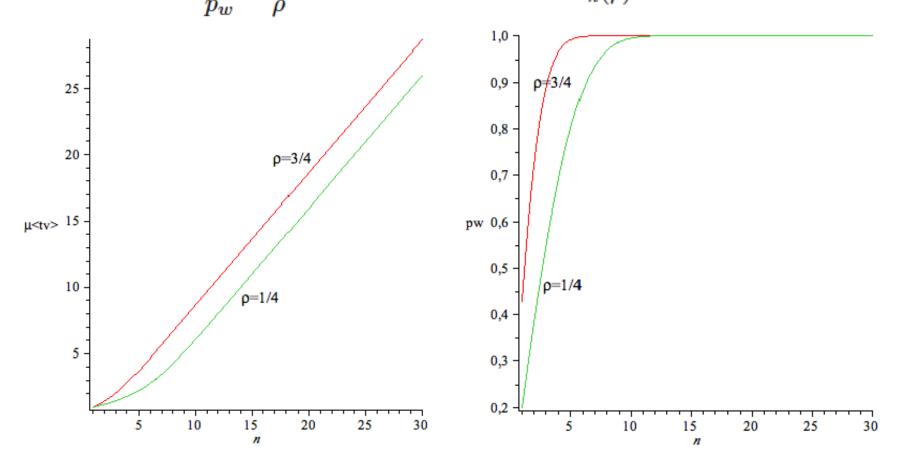
Point of Interest:

Probability of waiting pw

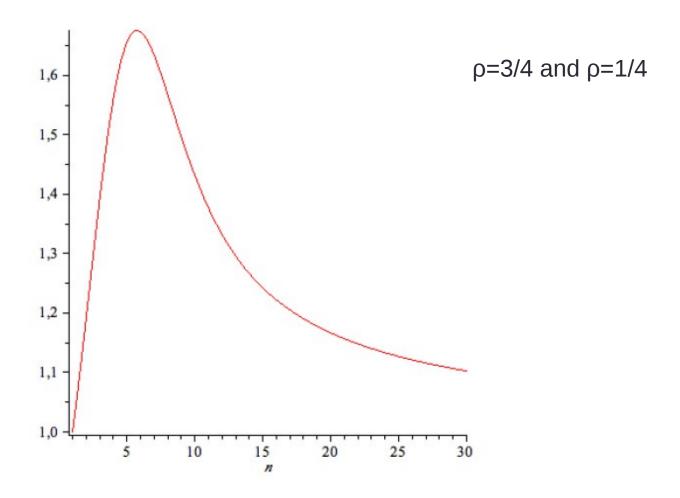
Average response time μ <tv>

After solving equations...

$$\mu < t_v> = rac{n}{p_w} - rac{1}{
ho} \qquad p_w = 1 - \pi_0 = 1 - rac{1}{S_n(
ho)}$$
 Load: $ho = lpha/\mu$



Speedup matches observed data

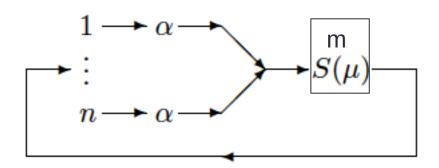


So far only 1 server considered Client request rate α mainly triggers response time "Put" more parallel servers into the model... Changed server model:

Constraints:

Simplified view

no Database modeled

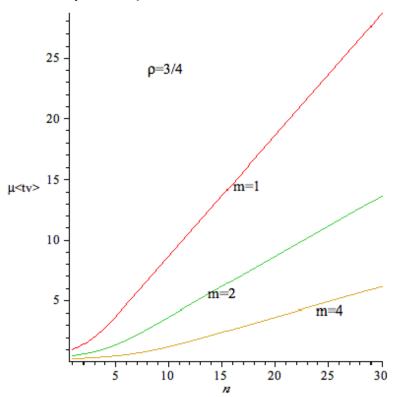


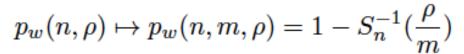
- Point of Interest:
 - Probability of waiting pw(m)
 - Average response time µ<tv>

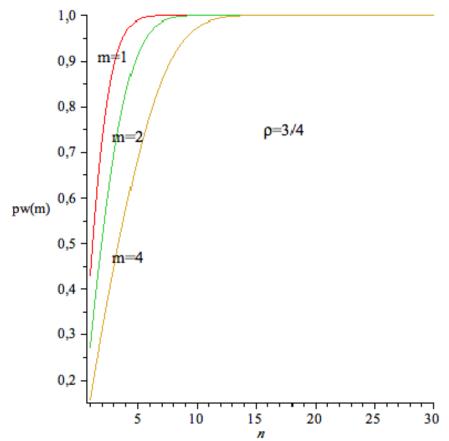
After solving equations...

$$\mu < t_v^- > \mapsto \mu < t_v^m > = \frac{(n/m)}{p_w(n,m,\rho)} - \frac{1}{\rho} \quad \ p_w(n,\rho) \mapsto p_w(n,m,\rho) = 1 - S_n^{-1}(\frac{\rho}{m})$$

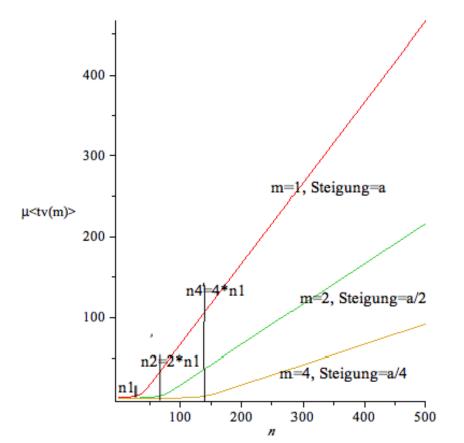
Load: $\rho = \alpha/\mu = 3/4$

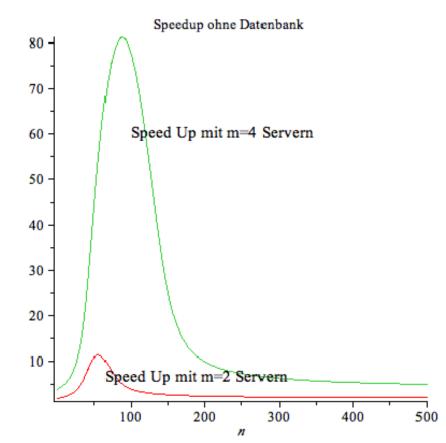






Speedup matches observed data Model adjusted (α and μ)





Qualitative aspects of model matches empirical result

Database missing in model

Extended model:

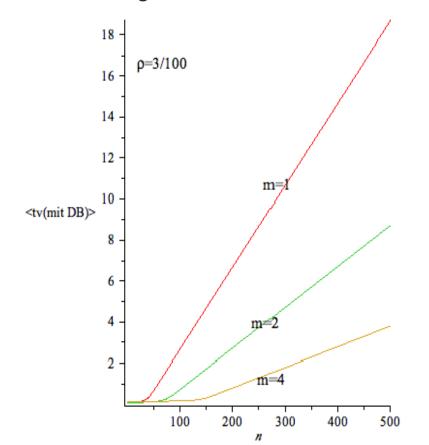
Database with own service rate

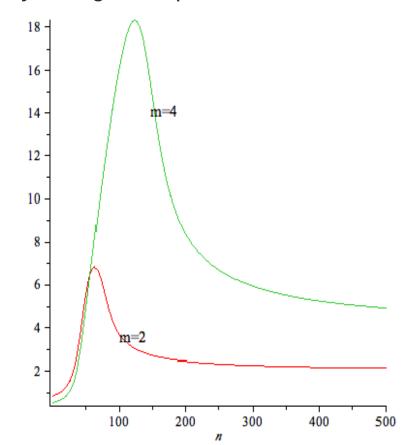
Markov models like M/M/1/∞ or M/G/1/∞ are appropriate

Load of database is fixed by observation to $(\mu/\mu DB)=0.9$

Not in all requests the database is needed

- Average response time μ<tv> with Database and
- Corresponding Speedup
- Taking the database into account hardly changes shapes





Summary

Performance analysis <u>with</u> rebuilding infrastructure detailed and accurate insights of a system

expensive

Performance modeling saves costs

Good prediction of necessary infrastructure

Reusable, but adjustment necessary

Thank you

Questions?